▸ LARISA MAKSIMOVA, VETA YUN, *On strong recognizability of the intuitionistic logic.*
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The problems of recognizability and strong recognizability, perceptibility and strong perceptibility in extensions of the minimal logic J are studied. These concepts were introduced in [1]–[3].

Let L_0 be a J-logic and L be a finitely axiomatizable logic containing L_0. Say that L is *perceptible over* L_0 if there is an algorithm verifying for any formula A if the inclusion $L_0 + A \geq L$ holds. L is *strongly perceptible* over L_0 if there is an algorithm verifying for any finite set *Rul* of axioms and rules of inference if the inclusion $L_0 + Rul \geq L$ holds.

A logic L is *recognizable over* L_0 if there is an algorithm verifying for any formula A the equality $L_0 + A = L$. A logic L is *strongly recognizable over* L_0 if there is an algorithm which for every finite system *Rul* of axiom schemes and rules of inference decides if the logic $L_0 + Rul$ coincides with L.

Although the intuitionistic logic Int is recognizable over J [1] the problem of its strong recognizability over J is not yet solved.

We prove that Int is strong recognizable and strong perceptible over the minimal pre-Heyting logic Od $= \neg\neg(\bot \longrightarrow \mathrm{p})$ and the minimal well-composed logic JX $= (\bot \longrightarrow p) \vee (p \longrightarrow \bot)$.

In addition let us consider the formula $F = (\bot \longrightarrow p \vee q) \longrightarrow (\bot \longrightarrow p) \vee (\bot \longrightarrow q)$. It is unknown whether the logic $\mathrm{J} + F$ is recognizable over J. We prove that the formula F is perceptible over JX.

[1] L.L.Maksimova, V.F. Yun, *Recognizable Logics*, ***Algebra and Logic***, vol. 54 (2015), no. 2, pp. 167–182.

[2] ——— *Strong Decidability and Strong Recognizability*, ***Algebra and Logic***, vol. 56 (2017), no. 5, pp. 370–385.

[3] L.L.Maksimova, *Recognizable and Perceptible Logics and Varieties*, ***Algebra and Logic***, vol. 56 (2017), no. 3, pp. 245–250.